

Improved frequency stability of the dual-noble-gas maser

D. Bear,¹ T. E. Chupp,² K. Cooper,¹ S. DeDeo,¹ M. Rosenberry,² R. E. Stoner,¹ and R. L. Walsworth¹

¹*Harvard-Smithsonian Center for Astrophysics, Cambridge, Massachusetts 02138*

²*Department of Physics, University of Michigan, Ann Arbor, Michigan 48109*

(Received 7 October 1997)

We report improved frequency stability of the dual-noble-gas maser. This recently developed device can measure very small changes in the Zeeman transition frequencies of cohabitating ensembles of ^{129}Xe and ^3He atoms, and thus may be useful for symmetry tests and precision measurements such as a search for a permanent electric dipole moment of the ^{129}Xe atom. Using the dual-noble-gas maser, we measured the frequency stability (i.e., the Allan deviation) of the ^3He Zeeman transition to be approximately 100 nHz in 6000 s of data acquisition. This Zeeman frequency stability is an order of magnitude improvement over our previous report [R. E. Stoner *et al.*, Phys. Rev. Lett. **77**, 3971 (1996)]. [S1050-2947(98)07006-1]

PACS number(s): 32.80.Bx, 32.60.+i, 84.40.Ik

Precision measurement of the Zeeman splitting in a two-state system is important for magnetometry [1,2], as well as for searches for new physics such as a permanent electric dipole moment (EDM) of the neutron [3] or atoms and molecules [4–7]. Such EDM searches serve as stringent tests of time-reversal symmetry (T) in elementary particle interactions [8]. Currently, two-species differential EDM experiments are being performed to search for leptonic T violation (using ^{205}Tl and Na) [9], and to search for T violation in neutrons (using a ^{199}Hg comagnetometer) [10]. The advantage of differential measurements is that they are insensitive to common-mode systematic effects such as uniform magnetic-field variations [11]. We previously reported operation of a dual (or two-species) noble-gas maser [12], the first device to sustain simultaneous active maser oscillations on distinct transitions in two cohabitating atomic species. The dual-noble-gas maser (DNGM) allows sensitive differential measurements of the ^3He and ^{129}Xe nuclear spin-1/2 Zeeman transition frequencies. Here we report on a significantly improved DNGM frequency stability. We measured the frequency stability (i.e., the Allan deviation) of the ^3He Zeeman transition to be approximately 100 nHz in 6000 s of data acquisition. This Zeeman frequency stability is an order-of-magnitude improvement over our previous report [12]. The improved DNGM frequency stability is a result of better system design and engineering (better temperature control, mechanical stability, etc.), and a technique to compensate for unwanted interactions of the ^{129}Xe and ^3He magnetizations by appropriate detuning of the two maser resonators. We expect that the improved DNGM performance will enable a high-sensitivity search for a ^{129}Xe EDM.

The DNGM contains dense, cohabitating ensembles of ^3He and ^{129}Xe atoms. Each ensemble performs an active maser oscillation on its nuclear spin-1/2 Zeeman transition at its particular Larmor frequency: ~ 4.9 kHz for ^3He and ~ 1.8 kHz for ^{129}Xe in a static magnetic field of 1.5 G. The maser population inversions for the ^3He and ^{129}Xe ensembles are created by spin-exchange collisions between the noble-gas atoms and optically pumped Rb vapor [11,13]. The DNGM has two chambers, one acting as the spin exchange “pump bulb” and the other serving as the “maser

bulb.” This two-chamber configuration permits the combination of physical conditions necessary for a high flux of spin-polarized noble-gas atoms into the maser bulb, while also maintaining ^3He and ^{129}Xe maser oscillations with good frequency stability. In the DNGM, one noble-gas species serves as a precision magnetometer to stabilize the system’s static magnetic field, while the other species is used as a sensitive probe for new physics such as an EDM. The DNGM has an additional important feature: active maser oscillation permits long coherent measurements of the noble-gas Zeeman frequencies (on time scales of a few hours). A coherent frequency measurement can achieve greater precision than the incoherent average of a set of shorter measurements made during an equivalent period of time [14].

Predicted EDM’s for ^{129}Xe and ^3He arise from hadronic and tensor electron-nuclear interactions containing terms proportional to Z^2 and higher order in Z [8], so that a ^3He EDM is expected to be much smaller in magnitude than a ^{129}Xe EDM. Our planned EDM search will entail sequential applications of an electric field parallel, and then antiparallel, to a static magnetic field. The electric field’s coupling to a ^{129}Xe EDM would produce a maser frequency shift linear in the magnitudes and signs of both the ^{129}Xe EDM and the electric field. The static magnetic field can be feedback stabilized by phase locking one species’ maser to a stable frequency standard. The other (free-running) maser will be monitored for electric-field-proportional frequency shifts. Either maser can be phase locked. However, regardless of which maser is phase locked and which is free running, the non-common-mode frequency instability of both masers is convolved in the free-running maser data. When the ^3He maser is phase locked, a possible ^{129}Xe EDM–electric-field coupling would induce a frequency shift in the free-running ^{129}Xe maser. When the ^{129}Xe maser is phase locked, a ^{129}Xe EDM–electric field coupling would change the magnetic field required to maintain a constant ^{129}Xe maser frequency: this EDM-induced alteration of the magnetic field would cause a proportional frequency shift in the free-running ^3He maser.

A schematic diagram of the current DNGM (“DNGM-97”) is given in Fig. 1. Although the general design and

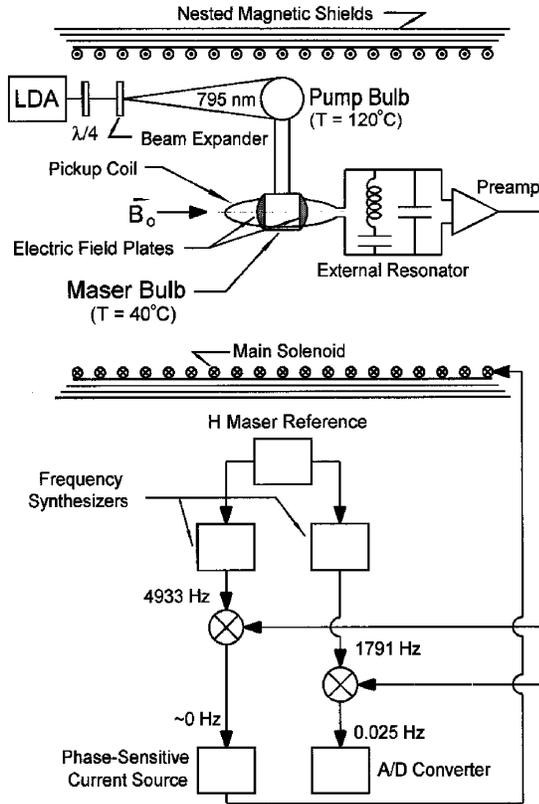


FIG. 1. Schematic diagram of the dual noble-gas maser used to make the measurements reported here. Electric-field plates were not installed in the experiments reported in this paper.

operation of this device are similar to the earlier system described in Ref. [12] (“DNGM-96”), the current realization features several improvements that have enhanced its operation as a stable oscillator. These improvements include (i) better temperature control of the pump and maser bulbs, and of the resonant tank circuit (the “maser resonator”) used to increase the effective atom-field coupling and to detect the maser signals; (ii) better mechanical stability and electronic shielding of signal extraction components; (iii) active feedback control of the current and temperature of the laser diode array [15] used in the optical pumping process, thereby leading to improved stability of the Rb magnetization in the pump cell; and (iv) installation of a newly designed maser resonator which provides for improved atom-field coupling.

Figure 2 provides a comparison of current DNGM frequency stability to our previously reported DNGM measurements. Specifically, Fig. 2 displays sample measured Allan deviations for the free-running ^3He masers in DNGM-96 and DNGM-97, shown as functions of the measurement interval (or averaging time) τ . The Allan deviation is the rms spread in the set of differences between pairs of successive frequency measurements, and is a commonly used statistical tool for characterizing frequency stability [16]. For DNGM-96 the free-running ^3He maser’s Allan deviation initially varied as $\sim \tau^{-3/2}$, as is expected for a coherent frequency measurement with the dominant noise source being added thermal white phase noise from the maser resonators and signal detection electronics [14,16]. However, for τ circa thousands of seconds, the ^3He maser’s Allan deviation hit a rough “floor” of $\sim 1\text{--}2 \mu\text{Hz}$. As discussed in Ref. [12], this

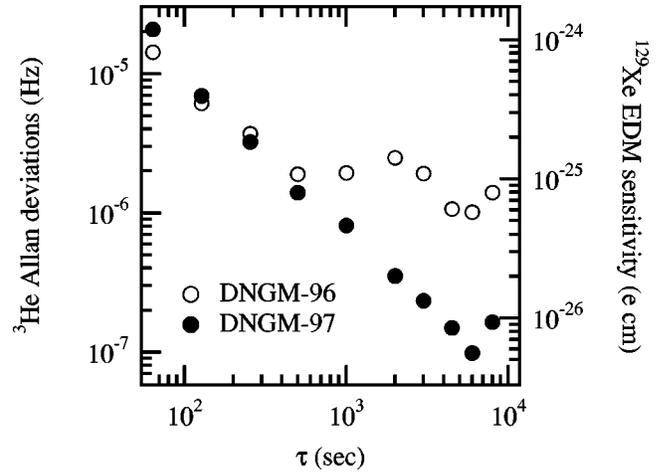


FIG. 2. Comparison of measured frequency stabilities (Allan deviations) for the free-running ^3He masers in the current and previously reported dual noble-gas masers. The Allan deviation of the earlier system reached a rough “floor” at $\sim 1\text{--}2 \mu\text{Hz}$ for measurement intervals of approximately thousands of seconds. The Allan deviation of the current dual noble-gas maser is substantially smaller, decreasing to $\sim 100 \text{ nHz}$ for measurement intervals of $\sim 6000 \text{ s}$. Sensitivity to changes in the ^{129}Xe Zeeman frequency is given by dividing the free-running ^3He maser frequency stability by ~ 2.7 , the ratio of ^3He and ^{129}Xe magnetic moments. The right ordinate axis shows the one standard deviation sensitivity to a ^{129}Xe permanent electric dipole moment, as a function of measurement interval τ , that would result from (i) a free-running ^3He maser frequency measurement with the Allan deviation given on the left ordinate axis; and (ii) the alternate application of electric fields of $+5 \text{ kV/cm}$ and -5 kV/cm across the maser bulb, alternating the field direction every τ seconds. (This is a simplistic sensitivity estimate, and ignores potential difficulties associated with electric fields, etc.)

frequency stability floor was caused by persistent near-equilibrium oscillations in the ^3He maser’s amplitude and frequency due to random system perturbations in DNGM-96 (temperature variations, mechanical vibrations, etc.). Such perturbations have been greatly reduced or eliminated in DNGM-97. Thus Fig. 2 shows that the free-running ^3He maser’s Allan deviation for DNGM-97 decreases out to $\sim 100 \text{ nHz}$ for measurement intervals of 6000 s . This frequency stability is an order of magnitude better than that of DNGM-96. For $\tau \geq 6000 \text{ s}$, the DNGM-97 ^3He maser’s Allan deviation begins to increase. Additional diagnostic measurements indicate this long-time Allan deviation increase results from a slow, monotonic drift of the free-running ^3He maser frequency. We are currently investigating long-time maser frequency drift mechanisms.

DNGM sensitivity to changes in the ^{129}Xe Zeeman frequency is given by dividing the measured free-running ^3He maser frequency stability by ~ 2.7 , the ratio of the ^3He and ^{129}Xe magnetic moments. Therefore, in terms of the Allan deviation, DNGM-97 measures the Zeeman transition frequency of ^{129}Xe relative to that of ^3He with a precision of approximately 36 nHz in 6000 s of data acquisition. The significantly improved DNGM frequency stability reported here should allow a high-sensitivity ^{129}Xe EDM search to be performed in the near future. Shown on the right ordinate axis of Fig. 2 is the estimated ^{129}Xe EDM measurement

sensitivity, as a function of measurement interval τ , that would result from (i) the free-running ^3He maser frequency stability given on Fig. 2's left ordinate axis; and (ii) the alternate application of electric fields of $+5$ and -5 kV/cm across the DNGM's maser bulb, alternating the field direction every τ seconds. Thus a ^{129}Xe Zeeman frequency sensitivity of 36 nHz in 6000 s would correspond to a ^{129}Xe EDM sensitivity of $5.7 \times 10^{-27} e$ cm at the one standard deviation level. Assuming one could make thirteen measurements per day at this sensitivity, one would have an integrated ^{129}Xe Zeeman frequency sensitivity of about 940 pHz in 100 days of data acquisition, with a corresponding ^{129}Xe EDM sensitivity of $1.6 \times 10^{-28} e$ cm. Of course, such an estimate is speculative, and ignores potential difficulties related to the application of large electric fields, etc. Note, however, that we have recently applied 5-kV/cm electric fields to noble-gas maser cells similar to those used in DNGM-97.

In conclusion, we have significantly improved the frequency stability of the dual-noble-gas maser. This device can measure very small changes in the difference between the Zeeman transition frequencies of cohabitating ensembles of ^{129}Xe and ^3He atoms. Measurements reported here demonstrate a ^{129}Xe Zeeman frequency stability (i.e., Allan deviation), relative to the ^3He Zeeman frequency, of approxi-

mately 36 nHz for 6000 s of data acquisition, with a corresponding potential ^{129}Xe EDM measurement sensitivity of $5.7 \times 10^{-27} e$ cm for each 6000 s. If this performance can be maintained over several months, then the current DNGM would provide a ^{129}Xe EDM measurement sensitivity of $\sim 1.6 \times 10^{-28} e$ cm in 100 days of data acquisition. The Zeeman frequency stability of the current DNGM (DNGM-97) is an order of magnitude better than that of our previous DNGM system (DNGM-96) [12]. This improved DNGM frequency stability is a result of improved system design and engineering. We plan to employ the DNGM in a high-sensitivity search for an EDM of the ^{129}Xe atom as a test of time reversal symmetry in elementary particle interactions. We also plan to continue our investigations of DNGM performance, with a goal of further improvements in DNGM frequency stability and hence greater utility as a tool for symmetry tests and precision measurements.

We acknowledge the support of a NIST Precision Measurement Grant and the Smithsonian Scholarly Studies Program (Harvard-Smithsonian group); we also acknowledge the support of the NSF and the University of Michigan (Michigan group).

-
- [1] A. Abragam, *Principles of Magnetic Resonance* (Oxford University Press, Oxford, 1961), p. 91.
- [2] W. Farr and E. Otten, *Appl. Phys.* **3**, 367 (1974).
- [3] K. F. Smith *et al.*, *Phys. Lett. B* **234**, 191 (1990).
- [4] S. A. Murthy, D. Krause, Z. Li, and L. R. Hunter, *Phys. Rev. Lett.* **63**, 965 (1989).
- [5] D. Cho, K. Sangster, and E. A. Hinds, *Phys. Rev. Lett.* **63**, 2559 (1989).
- [6] J. P. Jacobs, W. M. Klipstein, S. K. Lamoureux, B. R. Heckel, and E. N. Fortson, *Phys. Rev. Lett.* **71**, 3782 (1993); J. P. Jacobs, W. M. Klipstein, S. K. Lamoureux, B. R. Heckel, and E. N. Fortson, *Phys. Rev. A* **52**, 3521 (1995).
- [7] E. D. Commins, S. B. Ross, D. DeMille, and B. C. Regan, *Phys. Rev. A* **50**, 2960 (1994).
- [8] S. M. Barr, *Int. J. Mod. Phys. A* **8**, 209 (1993); L. R. Hunter, *Science* **252**, 73 (1991).
- [9] D. DeMille (private communication).
- [10] S. Lamoureux and N. Ramsey (private communication).
- [11] T. E. Chupp, E. R. Oteiza, J. M. Richardson, and T. R. White, *Phys. Rev. A* **38**, 3998 (1988).
- [12] R. E. Stoner, M. A. Rosenberry, J. T. Wright, T. E. Chupp, E. R. Oteiza, and R. L. Walsworth, *Phys. Rev. Lett.* **77**, 3971 (1996).
- [13] G. D. Cates, R. J. Fitzgerald, A. S. Barton, P. Bogorad, M. Gatzke, N. R. Newbury, and B. Saam, *Phys. Rev. A* **45**, 4631 (1992).
- [14] T. E. Chupp, R. J. Hoare, R. L. Walsworth, and Bo Wu, *Phys. Rev. Lett.* **72**, 2363 (1994).
- [15] We used fiber-coupled laser diode arrays (Optopower, Inc.). They provide broadband (~ 2 nm), high-power (15 W) light at 795 nm while operating at room temperature in a small, robust, low-cost package. We have also used these arrays in polarized ^{129}Xe and ^3He magnetic resonance imaging and polarized ^3He nuclear targets.
- [16] D. W. Allan, *Proc. IEEE* **54**, 221 (1966); J. Vanier and C. Audoin, *The Quantum Physics of Atomic Frequency Standards* (Hilger, Bristol, 1989), pp. 239–246.